



Boyle, Robert



Charles, Jacques  
Alexandre Cesar



Gay-Lussac, Louis



## Chapter 3.2

### The Gas Laws

Kinetic Theory of Gases

Pressure

Factors Affecting Pressure

Gas Laws

## States of Matter Focus Points

- Explain the behavior of gases based on the kinetic theory of Gases.
- Define pressure, volume, moles, and temperature in relation to gases.
- State and apply Boyle's law, Charles's law, and the combined gas law to calculate the relationships between volume, temperature, moles, and pressure.

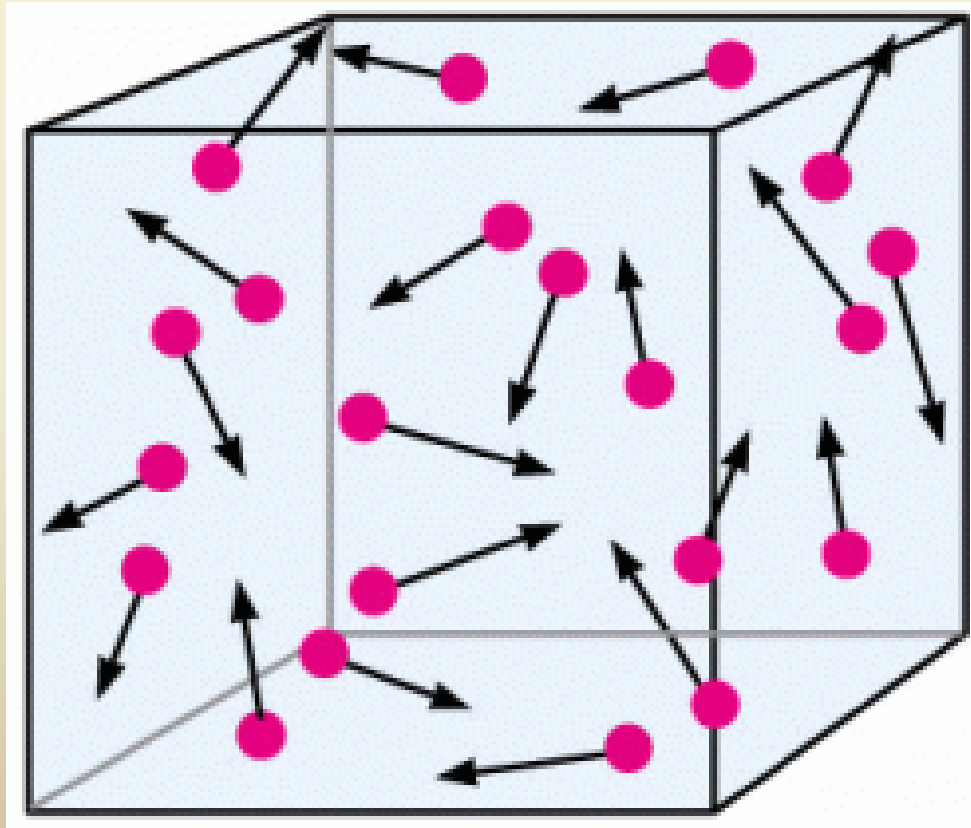


# Kinetic Theory – Model of a Gas

## Properties of Gases

Describe the **kind of motion** the particles in the box are displaying. **Give at least 3 aspects.**

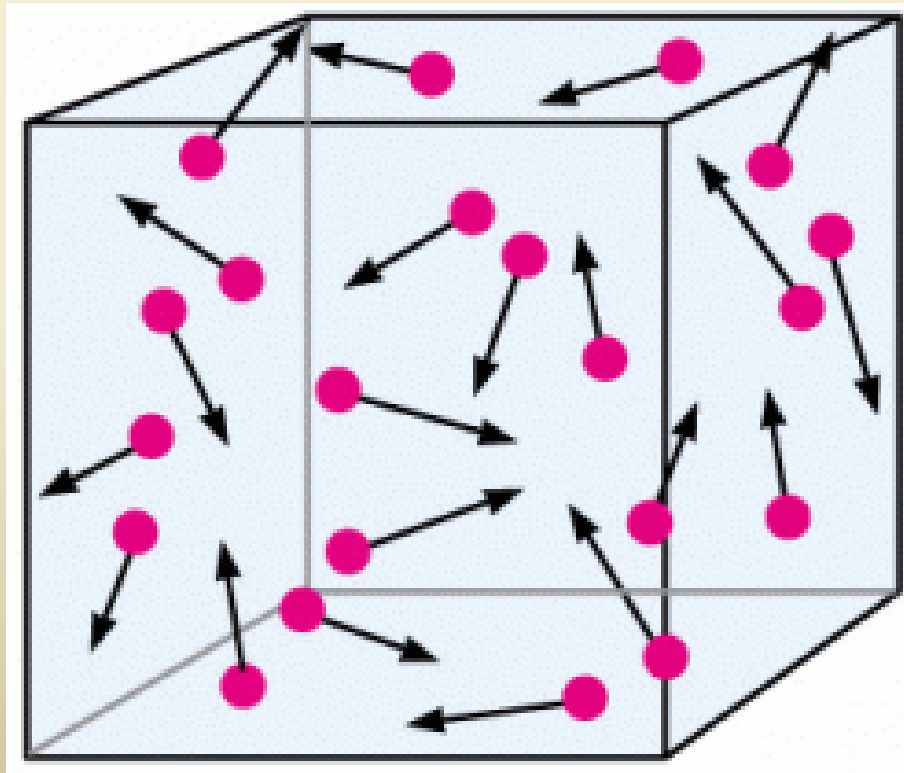
(**Hint:** pretend you are describing it to a blind person).



# Kinetic Theory – Model of a Gas

## Properties of Gases (*Assumptions*)

A gas is composed of individual **PARTICLES** which are in continuous, random, **straight-line** motion

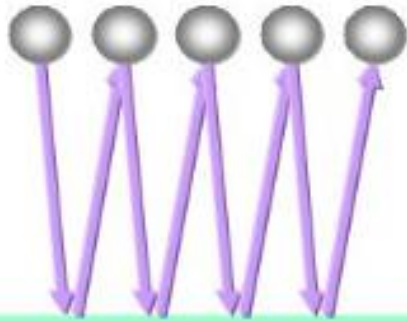


# Kinetic Theory – Model of a Gas

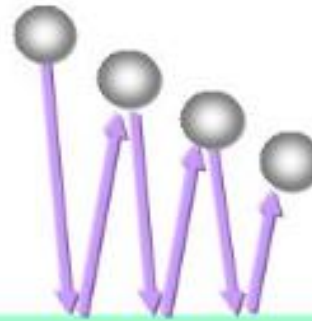
## Properties of Gases (*Assumptions*)

A gas is composed of individual PARTICLES which are in continuous, random, straight-line motion

- Collisions may result in a transfer of energy [**elastic collisions**], but the total net energy of the system remains constant.



**elastic collisions**



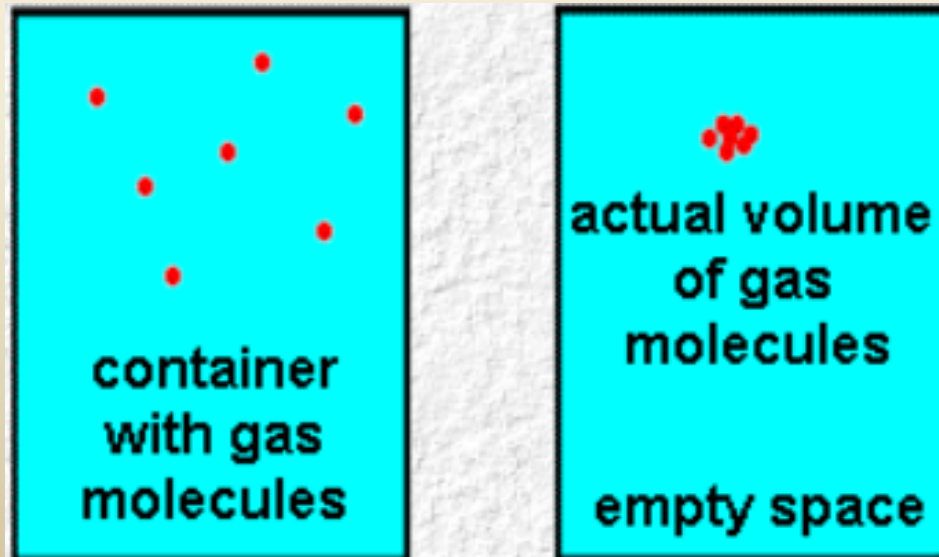
**inelastic collisions**

# Kinetic Theory – Model of a Gas

## Properties of Gases (*Assumptions*)

A gas is composed of individual PARTICLES which are in continuous, random, straight-line motion

- a. Collisions may result in a transfer of energy [*elastic collisions*], but the total net energy of the system remains constant.
- b. The volume of particles is ignored in comparison with the space in which they are contained (*i.e. earth's volume compared to the volume of the solar system*).

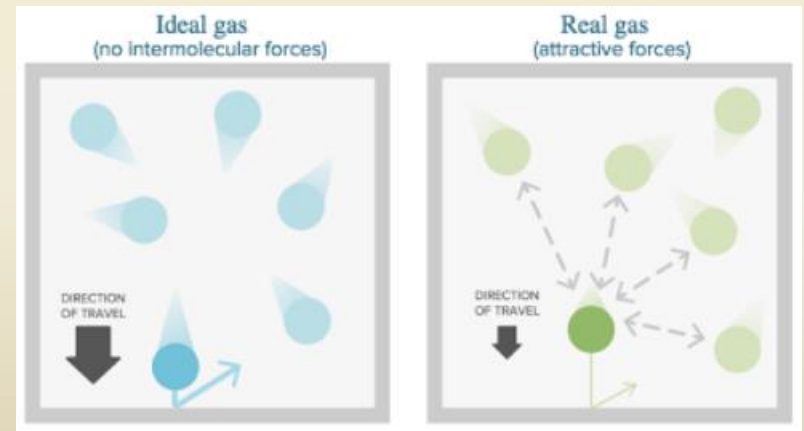


# Kinetic Theory – Model of a Gas

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- The volume of particles is ignored in comparison with the space in which they are contained (*i.e. earth's volume compared to the volume of the solar system*)
- Gas particles are considered as having no attraction for each other.



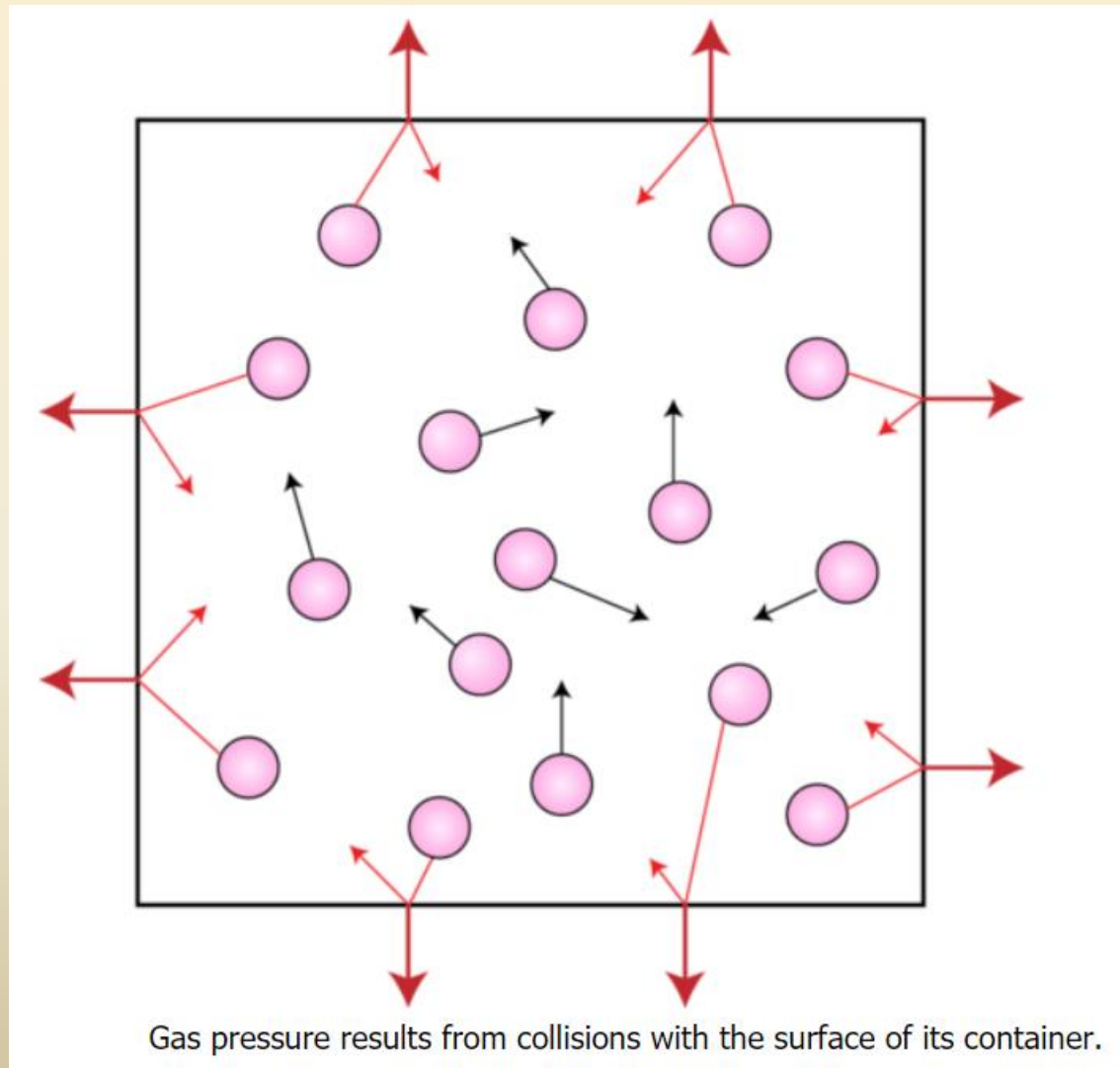
<https://screencast-o-matic.com/watch/cFQXDlqmoM> (2:01)

# Kinetic Theory – Model of a Gas

Gases take the shape and volume of whatever container, room, or space they occupy.

The particles change direction only when they rebound from **collisions**.

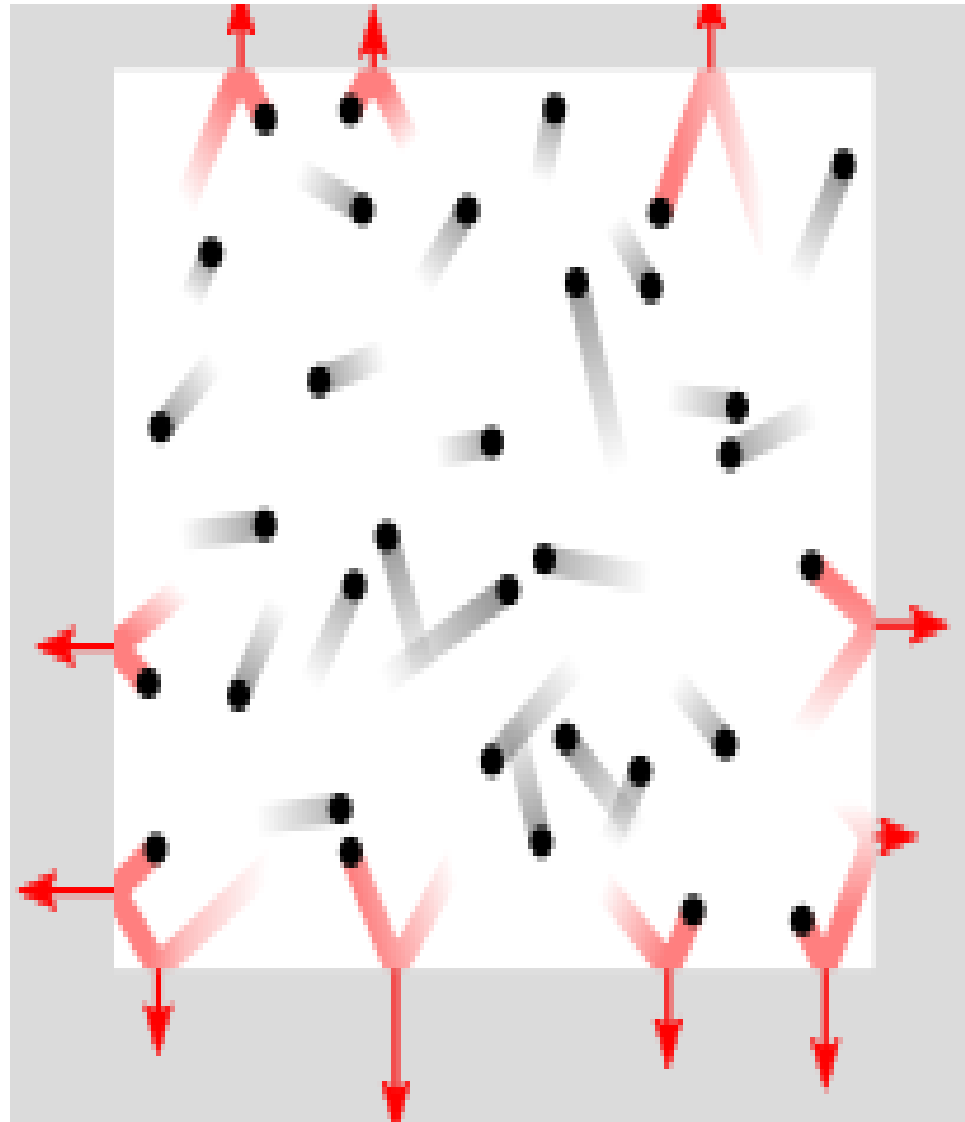
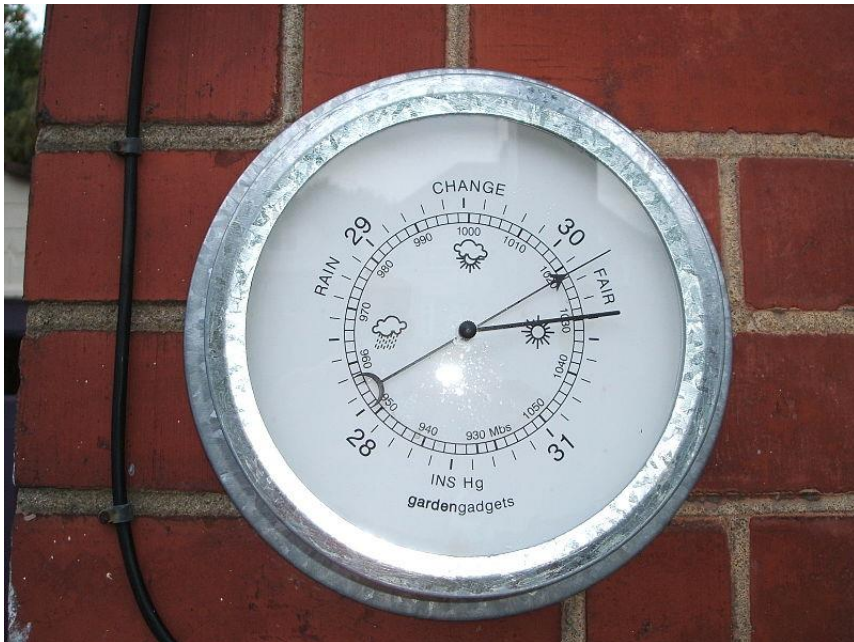
If no particles are present, **no collisions** can occur, meaning there is **no pressure**. An empty space with no particles and no pressure is called a **vacuum**.





# Gas Pressure

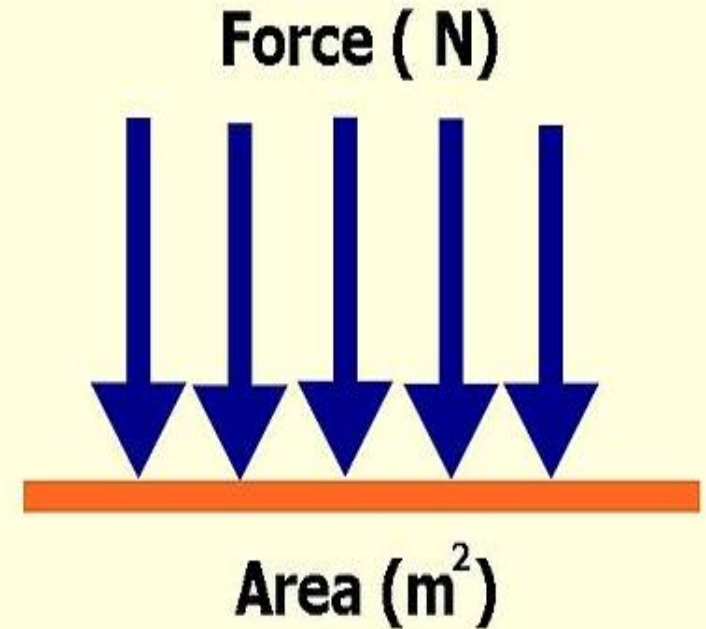
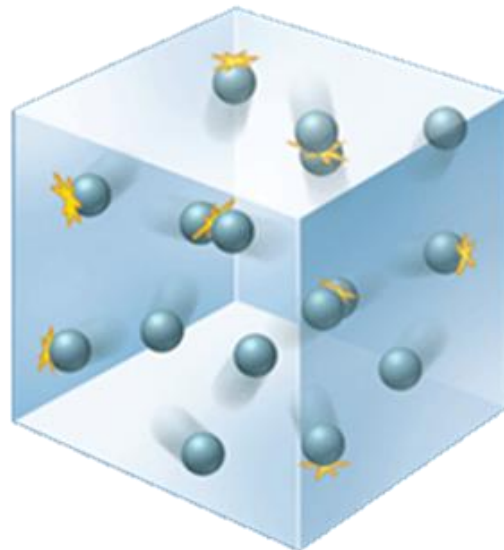
The force exerted by the particles of a gas **colliding** with the surface of an object.



# Pressure

Higher Kinetic Energy →  
greater collision force →  
higher pressure

More collisions → greater  
collision force → higher  
pressure



$$\text{Pressure} = \frac{\text{Force (N)}}{\text{Surface Area (m}^2\text{)}}$$

$$P = \frac{F}{A} \quad (\text{N/m}^2)$$

**Nailed Again!**

**Force/Area**

This guy surely got the “point” ... he was deeply “impressed”

# Pressure



The  
pressure  
exerted on  
all objects  
*[force/area]*



Gas pressure is actually the **air molecules colliding with surfaces**. The more molecules, the more collisions → the more pressure.

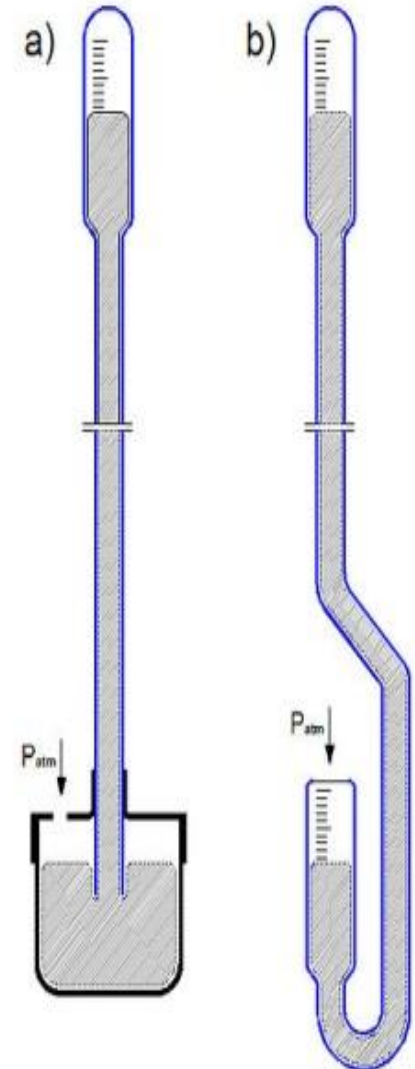
# Measuring Pressure of a Gas (**ENRICHMENT**)

## Barometer

device used to measure atmospheric pressure

- Original barometers used mercury
  - Dense
  - Low evaporation rate
- Modern barometers use small cells of air
  - Expansion or contraction moves dial

The pressure of **gases** can vary greatly. *Not so with liquids and solids.*



# Collapsing Can Experiment

Click on the link: (0:47)

<https://screencast-o-matic.com/watch/cFQ6XyqEwm>

Why did the can collapse?

See the link on Study Place:

**FUN Pressure Activities Labs**





Which of the following statements describes gases based on the kinetic theory?

- a. Particles of gas are in motion part of the time and stationary part of the time.
- b. Particles in a gas are arranged in an orderly fashion.
- c. Gas particles are not affected by collisions with other gas particles.
- d. Forces of attraction between particles can be ignored under ordinary conditions.

What causes the pressure to increase if more gas particles are added to a closed container?

- a. an increase in the number of collisions between the gas and the container walls
- b. a decrease in the volume of the container
- c. a decrease in the size of each particle as the number of particles increases
- d. an increase in the number of collisions between air particles and the outside of the container



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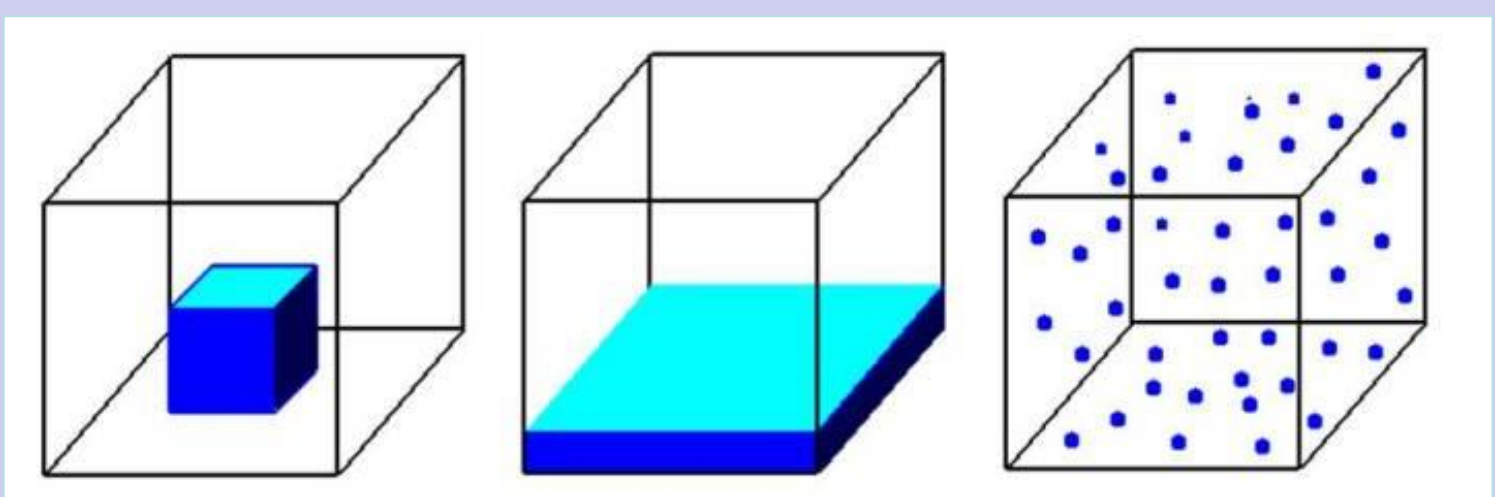
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# Kinetic Theory (pressure, volume, temperature)

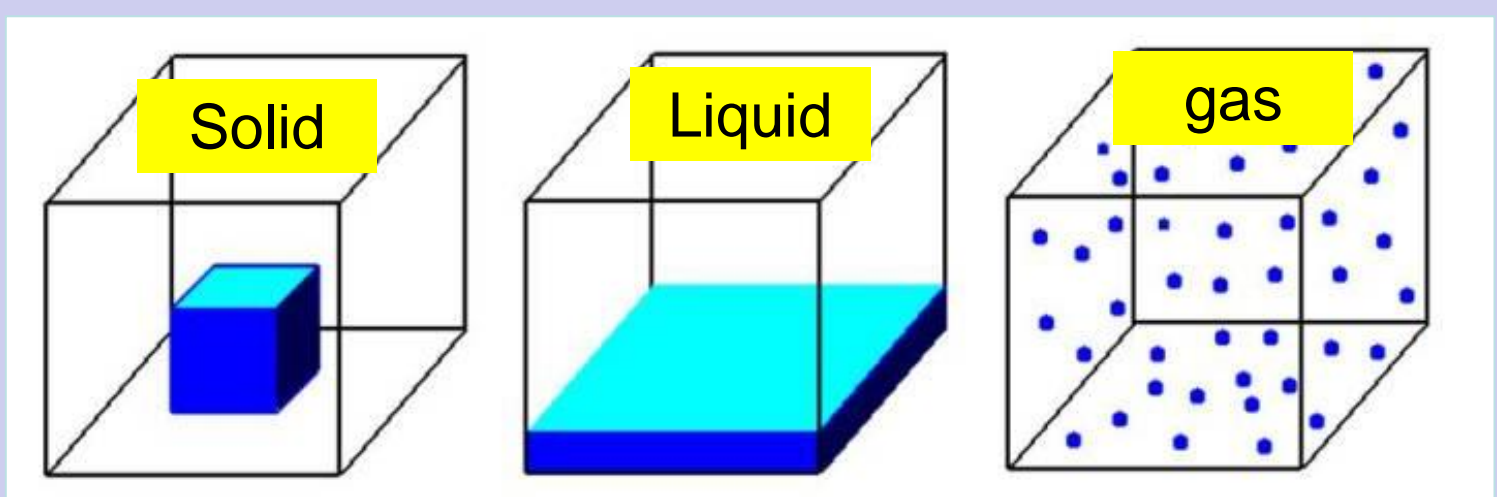
**Demonstrations (5:55)**

<https://screencast-o-matic.com/watch/cFQiDiqp9D>



Label the three states of matter in the diagram & describe their shape, volume, density, molecular attractions, compressibility, expansivity, & what might affect it ... in relation to each other.

	Shape	Volume	Density	Molecular Attractions	Compressibility	Expansivity	What might affect it
Solid							
Liquid							
Gas							



Label the three states of matter in the diagram & describe their shape, volume, density, molecular attractions, compressibility, expansivity, & what might affect it ... in relation to each other.

	Shape	Volume	Density	Molecular Attractions	Compressibility	Expansivity	What might affect it
<b>Solid</b>	definite	definite	greatest	strongest	little	little	little
<b>Liquid</b>	Takes the shape container	definite	middle	middle	little	little	little
<b>Gas</b>	indefinite	fills container	least	weakest	great	great	T, P

# Review of Pressure

Watch the video on Study Place:

<https://screencast-o-matic.com/watch/cFeY3gDvx1>

## Pressure ctr (5:32)

- PSI (Breaking a Board using Atmospheric Pressure)
- Manometer Readings

# Ideal Gas Law

ENRICHMENT

The foundation of Gas Laws

$$PV = nRT$$

$P$  = pressure in atm, mm Hg, or kPa

$V$  = volume in liters

$n$  = moles

$R$  = ideal gas constant based on units

$T$  = temperature in Kelvins

# Gas Parameters

$$PV = nRT$$

$P$  = collisions

$V$  = space occupied by gas

$n$  = moles (number of particles)

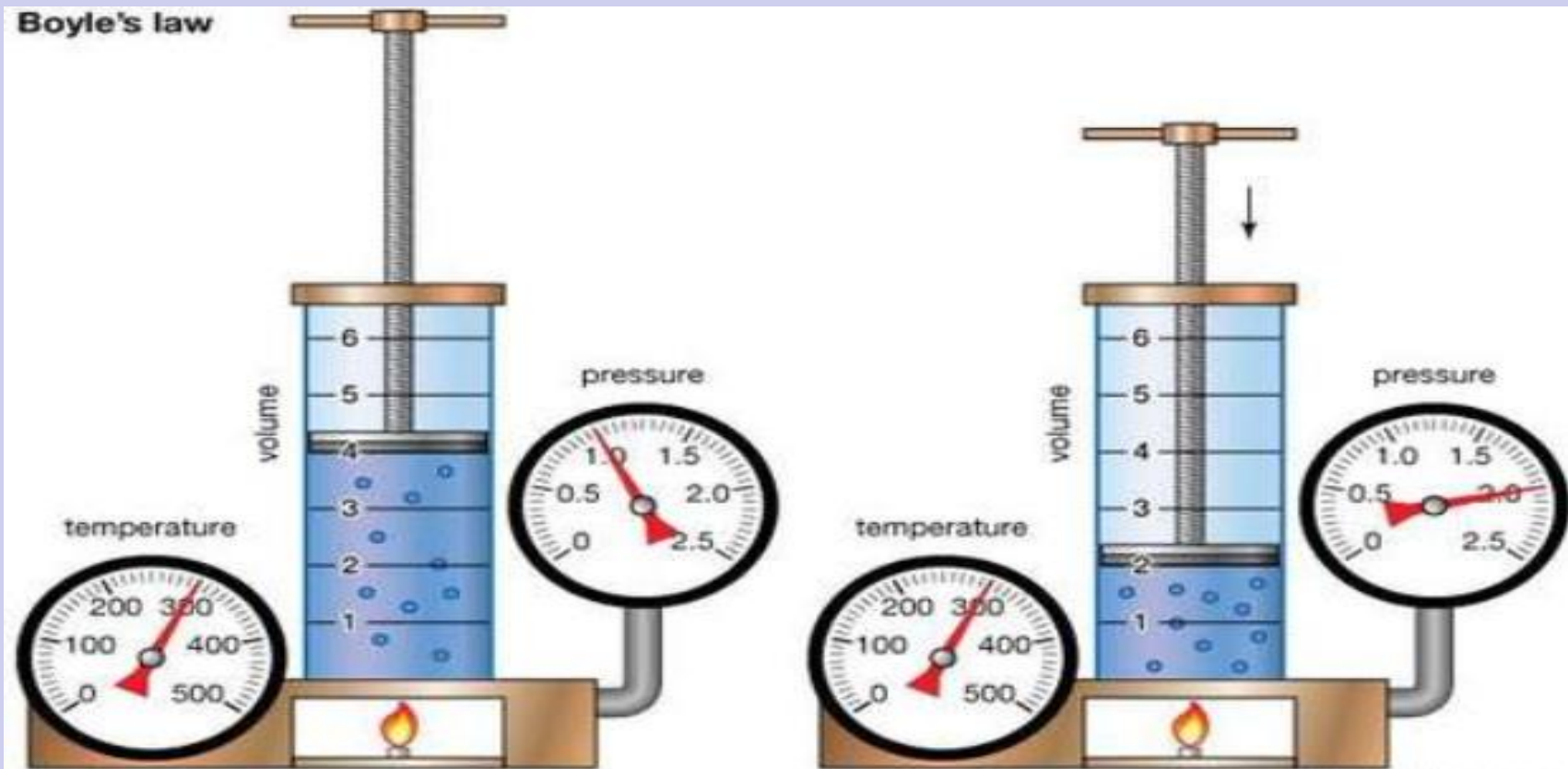
$R$  = ideal gas constant based on units [*enrichment*]

$T$  = average kinetic energy (motion) of molecules

# Boyle's Law

Boyle's Law describes the relationship between the **volume** of a gas and its **pressure** at a *constant temperature* and number of **moles**.

Describe the **pressure (P)** and **volume (V)** below:

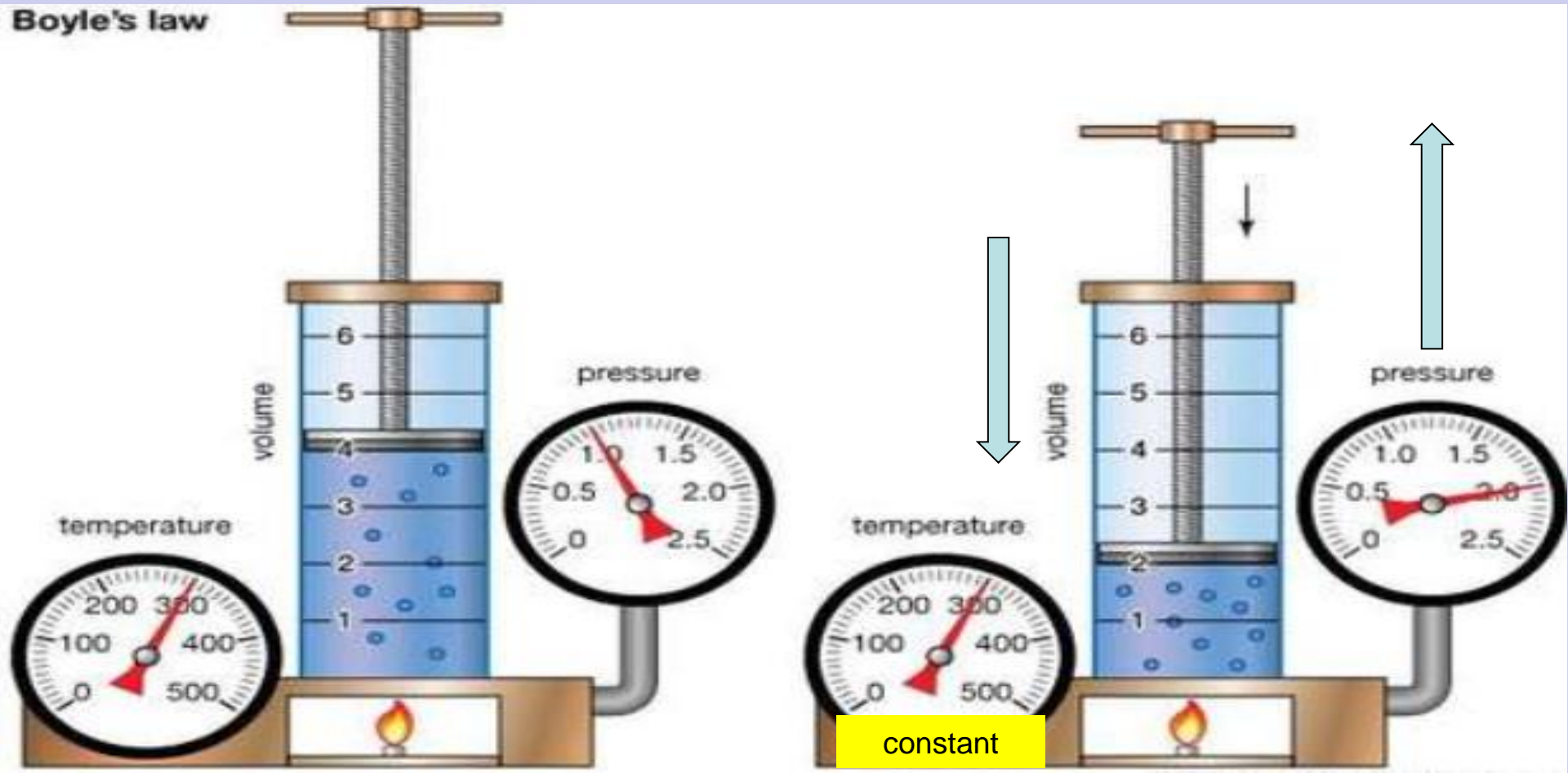


# Boyle's Law

A gas can be compressed to take up less space:

*The higher the pressure applied to the gas, the smaller the volume it will occupy. (e.g. piston chamber in engines)*

Boyle's law





# Boyle's Law

## Example

Bubbles in a fish tank increase in size as they move toward the surface of the water experiencing LESS pressure.

Bubbles at the bottom of the tank are smaller, experiencing more pressure than bubbles up higher in the water.



# Boyle's Law

Robert Boyle (1627-1691) decided to experiment with only **pressure** and **volume** of a gas, so he held the **temperature** and number of **moles** of the gas constant.

$$PV = nRT \rightarrow PV = k$$

*[enrichment]*

*What mathematical relationship does this show?*



# Boyle's Law

Robert Boyle (1627-1691) decided to experiment with only **pressure** and **volume** of a gas, so he held the **temperature** and number of **moles** of the gas constant.

$$PV = nRT \rightarrow PV = k$$

INVERSE relationship of P to V

At the same conditions of temperature and moles:

$$P_1V_1 = k, \quad P_2V_2 = k$$

Thus: 
$$P_1V_1 = P_2V_2$$

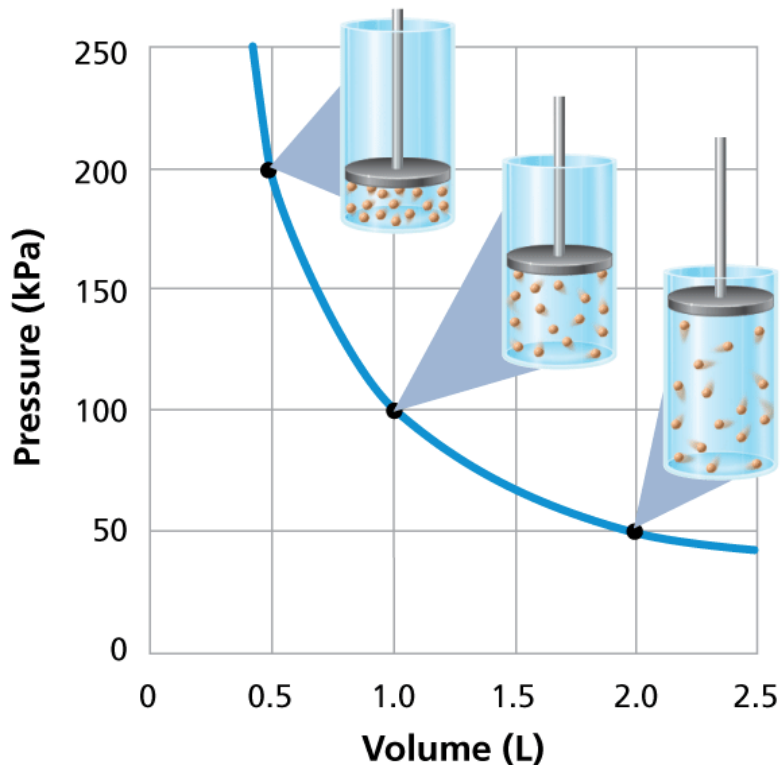


# Boyle's Law

Pressure is inversely proportional to volume:

$$P_1V_1 = P_2V_2$$

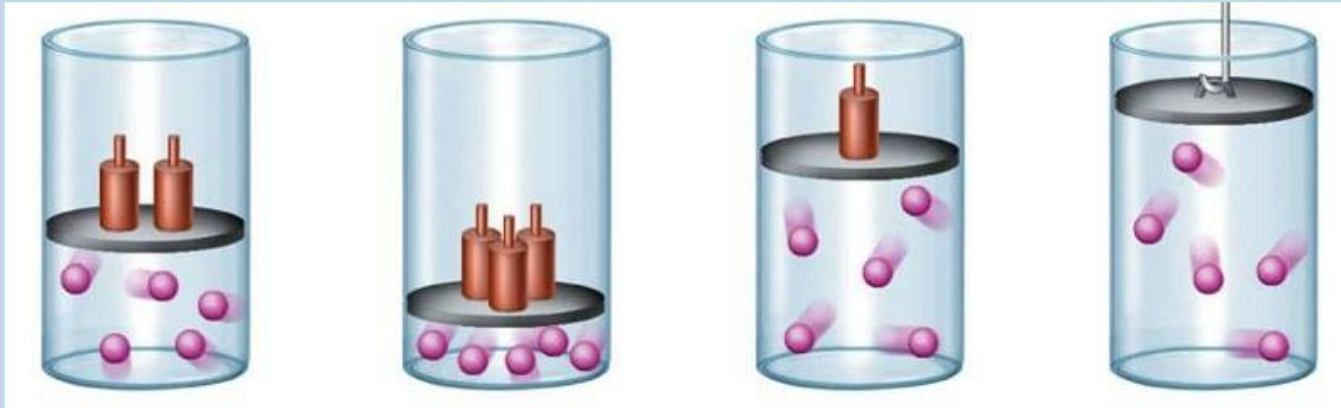
Boyle's Law



P ↑ V ↓



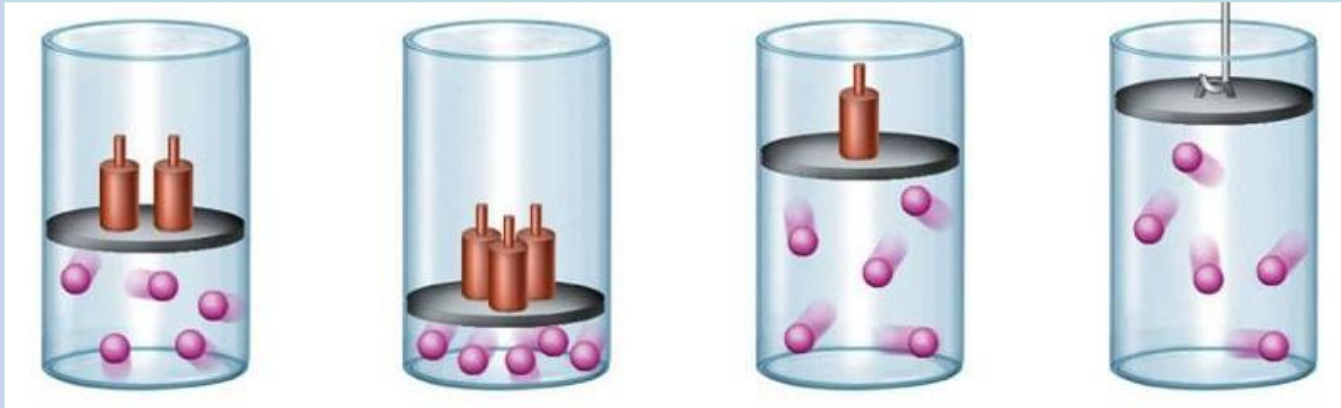
# Boyle's Law



Describe the relationship between pressure and volume in the cylinders. Remember pressure is related to collisions.



# Boyle's Law



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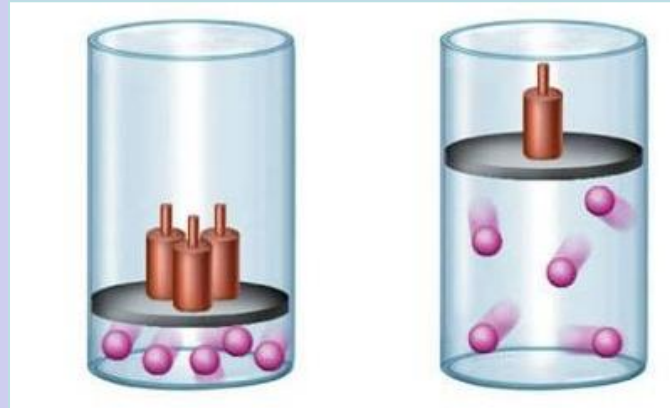
**INVERSE relationship:**

$P \propto 1/V$  ... as pressure  $\uparrow$  volume  $\downarrow$  or vice versa

When molecules are confined to a smaller space (less volume), there are more collisions (more pressure).



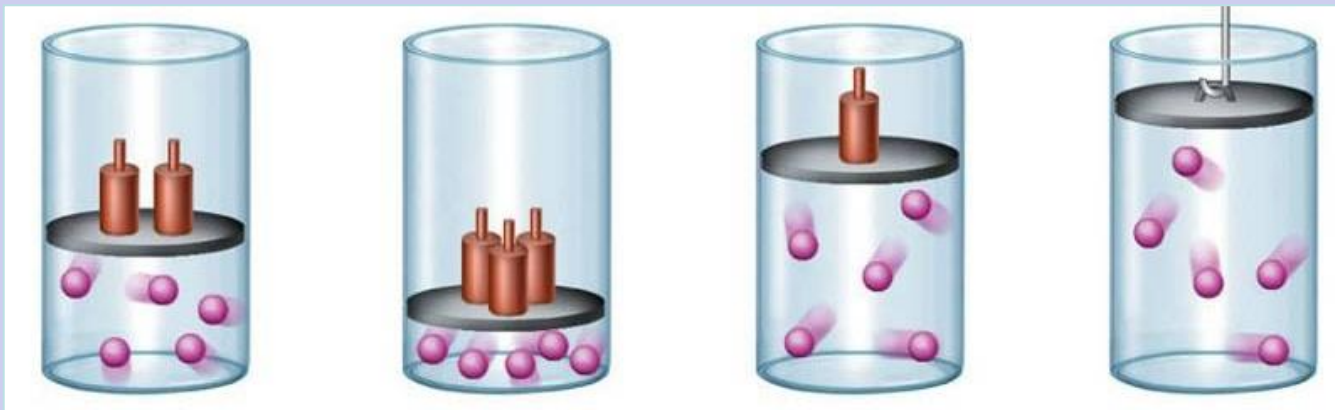
# Boyle's Law



Find the volume of a gas which occupies 200. ml at 2.6 atm when it is at standard pressure (101.3 kPa) and temperature is constant.



# Boyle's Law



Find the **volume** ( $V_2$ ) of a gas which occupies 200. ml ( $V_1$ ) at 2.6 atm ( $P_1$ ) when it is at standard pressure (101.3 kPa) ( $P_2$ ) and temperature is constant.

A: Volume ( $V_2$ )

G: 200. ml ( $V_1$ ) at 2.6 atm ( $P_1$ ) changed to 101.3 kPa ( $P_2$ )

E:  $P_1V_1 = P_2V_2$  ... solve for  $V_2 = P_1V_1 / P_2$

S:  $V_2 = 200. \text{ ml} \times (2.6 \text{ atm} / 1 \text{ atm}) = \underline{520 \text{ ml}}$

(notice  $P \downarrow V \uparrow$ )



# Charles' Law

Jacques Charles (1746-1823) experimented with only **temperature** and **volume** of a gas, so he held the **pressure** and number of **moles** of the gas constant.

$$\cancel{P}V = n\cancel{R}T \rightarrow V/T = k$$

*[enrichment]*



*What mathematical relationship does this show?*

# Charles' Law

Jacques Charles (1746-1823) experimented with only **temperature** and **volume** of a gas, so he held the **pressure** and number of **moles** of the gas constant.

$$\cancel{P}V = n\cancel{R}T \rightarrow V/T = k$$



DIRECT relationship of V to T

At the same conditions of pressure and moles:

$$V_1 = kT_1, \quad V_2 = kT_2$$



Thus:  $V_1/T_1 = V_2/T_2$

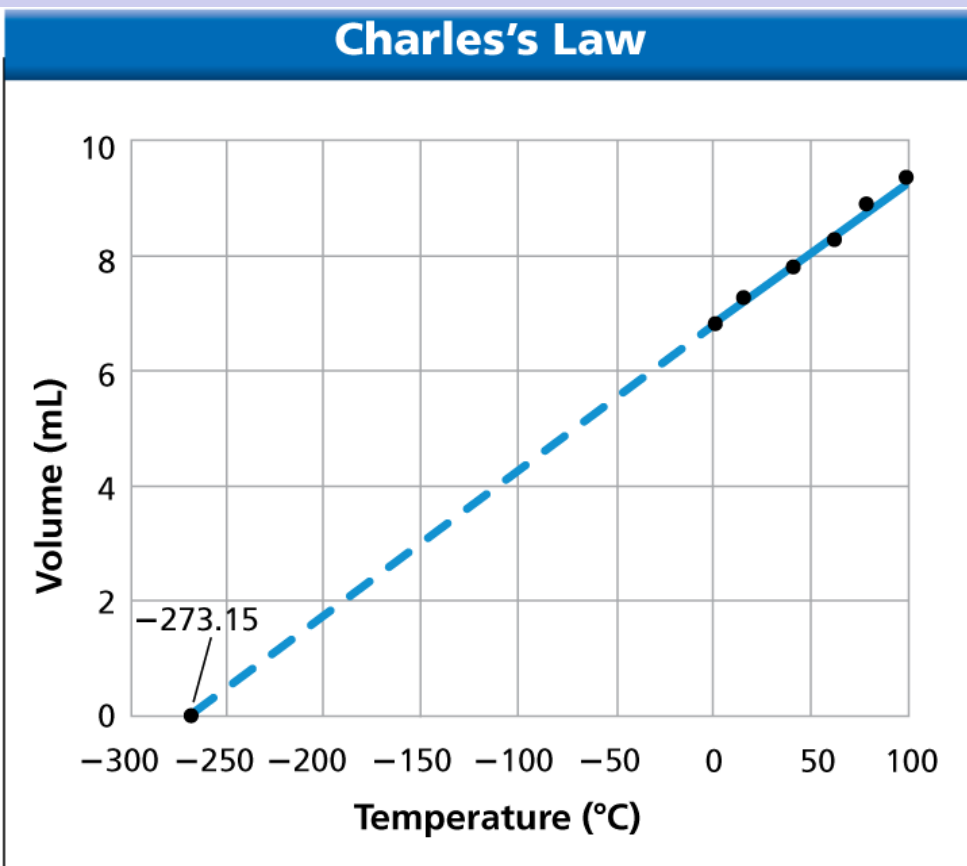
$$\frac{V_1}{T_1} = \frac{V_2}{T_2}$$

# Charles' Law

Temperature is directly proportional to volume:

$$V_1/T_1 = V_2/T_2$$

$$\frac{V_1}{T_1} = \frac{V_2}{T_2}$$



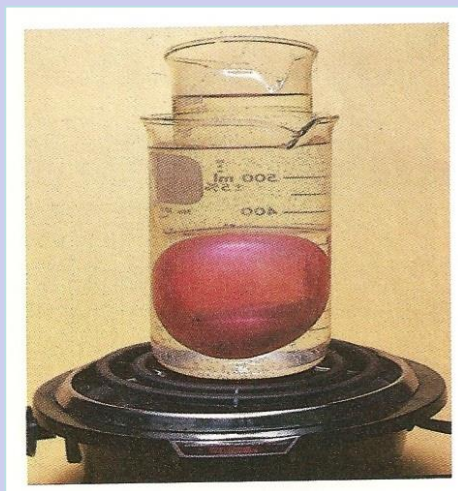
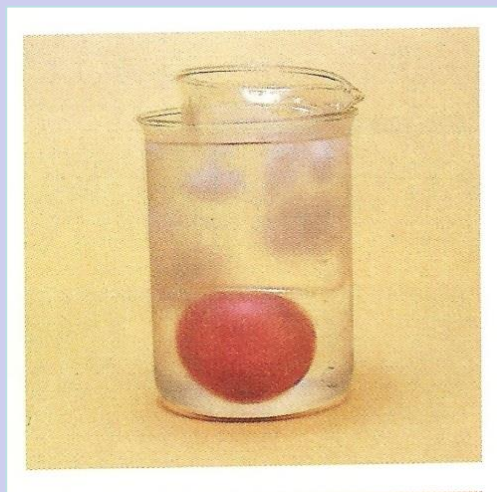
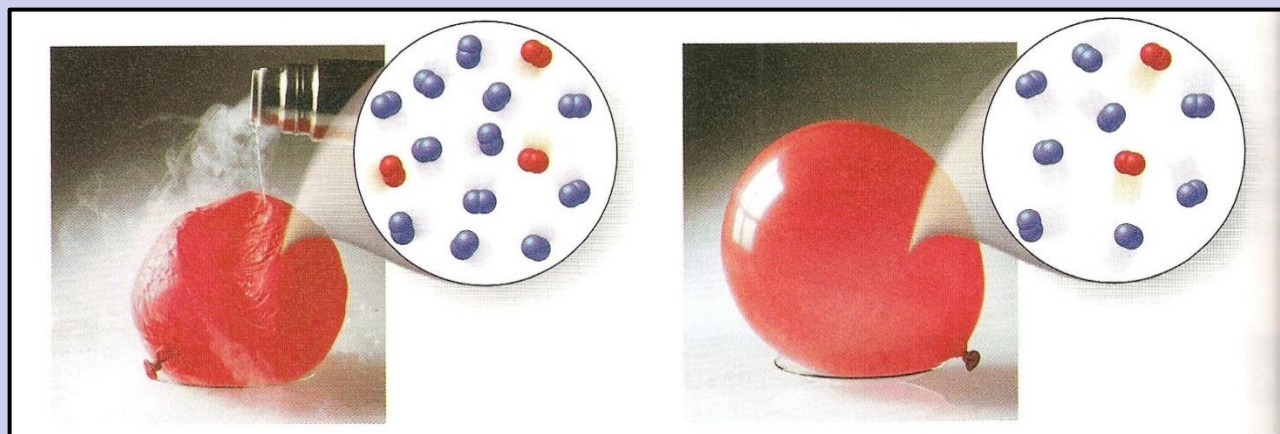
V ↑ T ↑

Absolute temperature **K**

$$K = ^\circ C + 273$$

# Charles' Law

Liquid nitrogen poured on a balloon causes it to shrink.



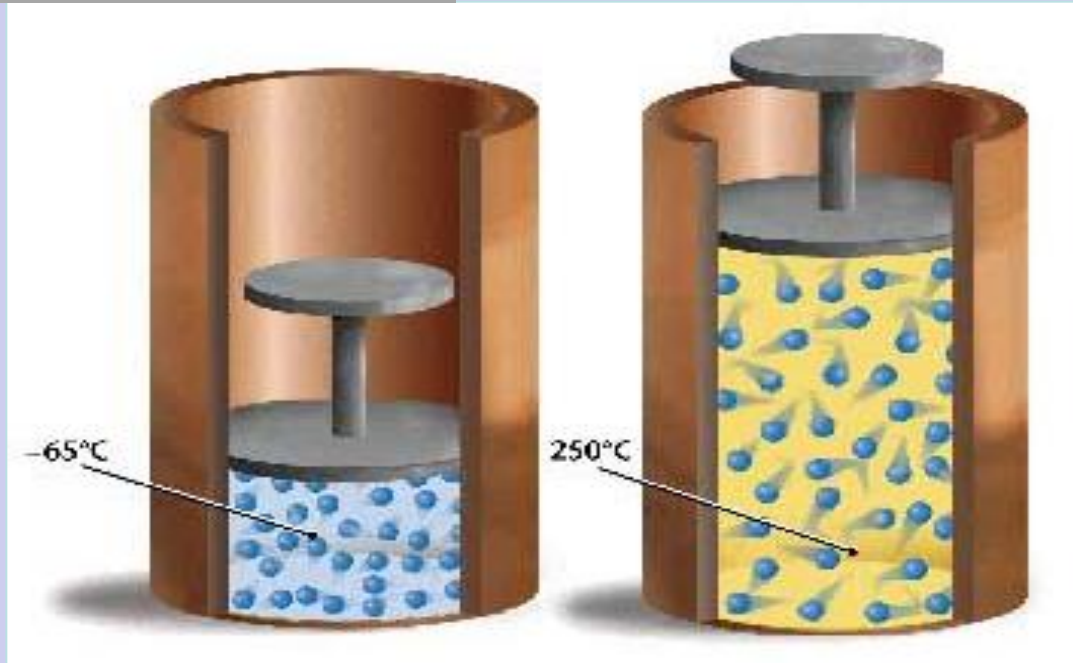
A balloon is smaller in a beaker of ice water than in a beaker of boiling water. The volume of the air in balloon increases with increasing temperature.

Heated gas expands, as in a hot air balloon.



# Charles' Law

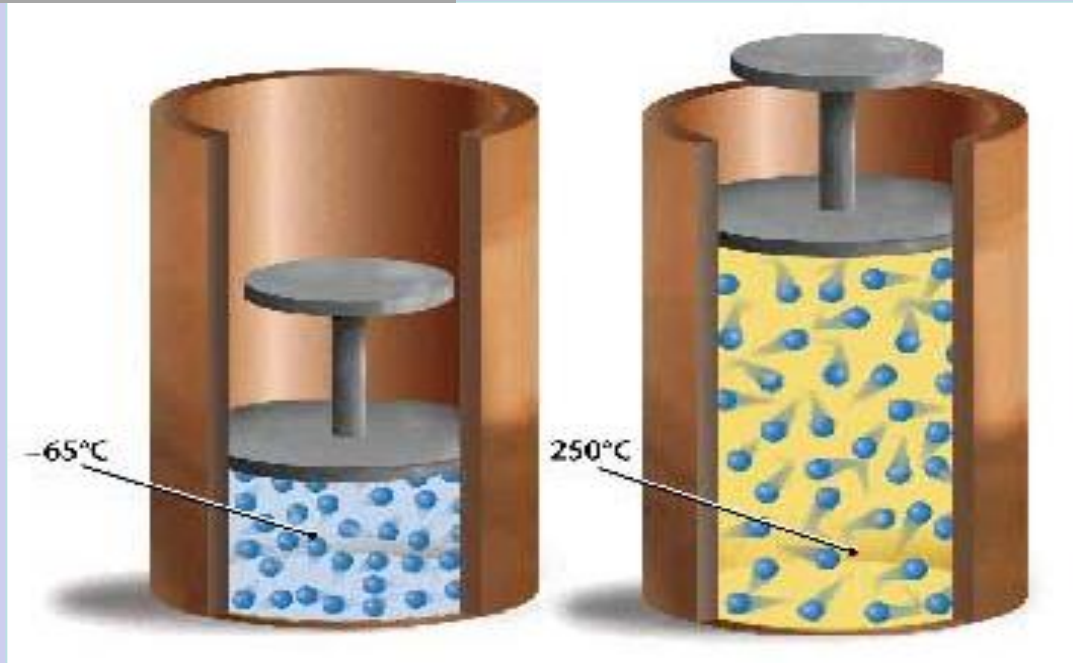
Describe the relationship between temperature and volume in the cylinders. Remember temperature is related to average kinetic energy of the molecules.





# Charles' Law

Describe the relationship between temperature and volume in the cylinders. Remember temperature is related to average kinetic energy of the molecules.



The motion of the molecules ( $T$ ) increases as volume increases to keep pressure constant.

**DIRECT relationship:**  $V \uparrow T \uparrow$



# Charles' Law

A scientist has an initial volume of 100. ml of a gas at 298 K and constant pressure. If the temperature changes to 373 K, what is the new volume of the gas?



# Charles' Law

A scientist has an initial volume of 100. ml ( $V_1$ ) of a gas at 298 K ( $T_1$ ) and constant pressure. If the temperature changes to 373 K ( $T_2$ ), what is the new **volume** ( $V_2$ ) of the gas?

A: Volume ( $V_2$ )

G: 100. ml ( $V_1$ ) at 298 K ( $T_1$ ) changes to 373 K ( $T_2$ )

E:  $V_1/T_1 = V_2/T_2$  ... solve for  $V_2 = T_2 V_1 / T_1$

S:  $V_2 = (373 \text{ K}) \times 100. \text{ ml} / 298 \text{ K} = \underline{125 \text{ ml}}$

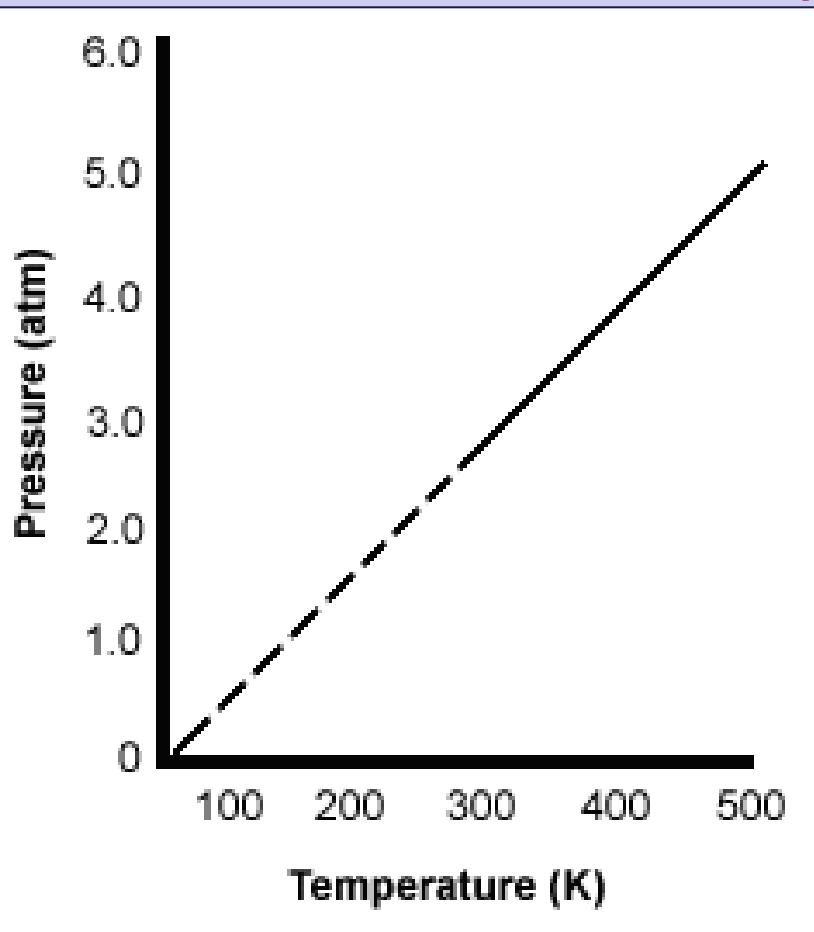
(notice  $T \uparrow V \uparrow$ )



# Gay-Lussac's Law

Gay-Lussac (1746-1823) experimented with only **temperature** and **pressure** of a gas, so he held the **volume** and number of **moles** of the gas constant.

DIRECT relationship of P to T



$$P_1/T_1 = P_2/T_2$$

$$\frac{P_1}{T_1} = \frac{P_2}{T_2}$$

**P** ↑ **T** ↑

Absolute temperature K

$$K = ^\circ C + 273$$



# Gay-Lussac's Law



Using Gay-Lussac's law, explain when you need to check the tire pressure more often: in the summer or the winter.

When the temperature of the gas in closed container is increased, the pressure \_\_\_\_.



## Gay-Lussac's Law



Using Gay-Lussac's law, explain when you need to check the tire pressure more often: in the summer or the winter.

As the tires rotate, the **temperature** of the air in the tires increases due to friction on the road. The **pressure** of the air also increases (molecules move faster, more **collisions**).

On a hot summer day, pressure in a car tire increases over what it would be on a cold winter day. Tire pressure often drops significantly in the winter.

---

When the temperature of the gas in closed container is increased, the pressure increases.

## Combined gas law:

For a fixed quantity of gas, **pressure** & **volume** vary inversely while **temperature** varies directly with **pressure** & **volume**

### Boyle's law

$$P_1V_1 = P_2V_2$$

### Charles's law

$$\frac{V_1}{T_1} = \frac{V_2}{T_2}$$

### Gay-Lussac's law

$$\frac{P_1}{T_1} = \frac{P_2}{T_2}$$

What would it look like if we combined all three gas laws?

Remember:      inverse      direct      direct

?

## Combined gas law:

For a fixed quantity of gas, **pressure** & **volume** vary inversely while **temperature** varies directly with **pressure** & **volume**

**Boyle's  
law**

$$P_1V_1 = P_2V_2$$

**Charles's law**

$$\frac{V_1}{T_1} = \frac{V_2}{T_2}$$

**Gay-Lussac's  
law**

$$\frac{P_1}{T_1} = \frac{P_2}{T_2}$$

**Combined gas law**

$$\frac{P_1V_1}{T_1} = \frac{P_2V_2}{T_2}$$

# Combined Gas Law



You *must* have temperature in **Kelvin**:

1) **K includes volume**; 2) **you can't divide by zero** (e.g. 0° C).

$$\frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2}$$

Cover up **Pressure** (*it remains constant*)  
... what do you have?

Cover up **Temperature** (*it remains constant*)  
... what do you have?

Cover up **Volume** (*it remains constant*)  
... what do you have?



# Combined Gas Law



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## Charles' Law

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Cover up  
**Temperature** (*it remains constant*)  
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## Boyle's Law

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Cover up **Volume**  
(*it remains constant*)  
... what do you have?

## Gay-Lussac's Law

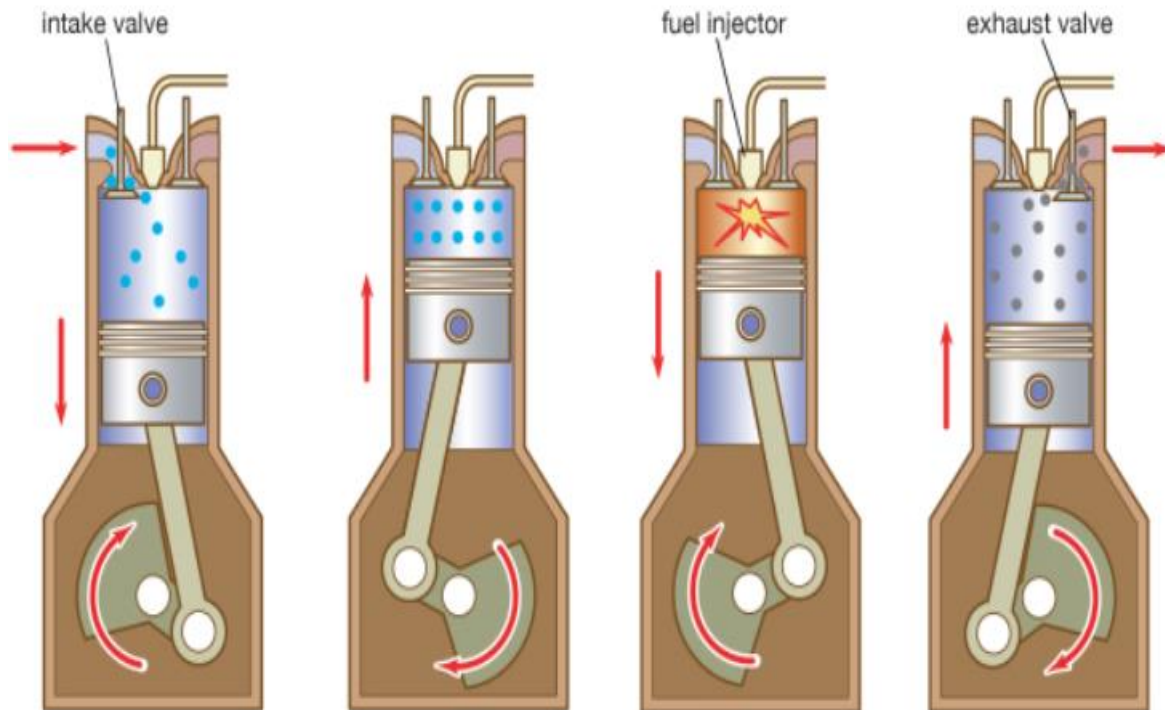
$$\frac{P_1}{T_1} = \frac{P_2}{T_2}$$

# Real World Application of the Combined Gas Law

## Internal Combustion Engines

Operate on the principle of taking a volume ( $V$ ) of gas in, compressing it ( $P$ ), igniting it ( $T$ ), then pushing the exhaust out.

1. The air-fuel mixture enters the piston chamber.
2. The air-fuel mixture is compressed (piston moves up)
3. The fuel is ignited.



4. The hot, expanding gases force the piston down and the exhaust gases are expelled from the chamber.

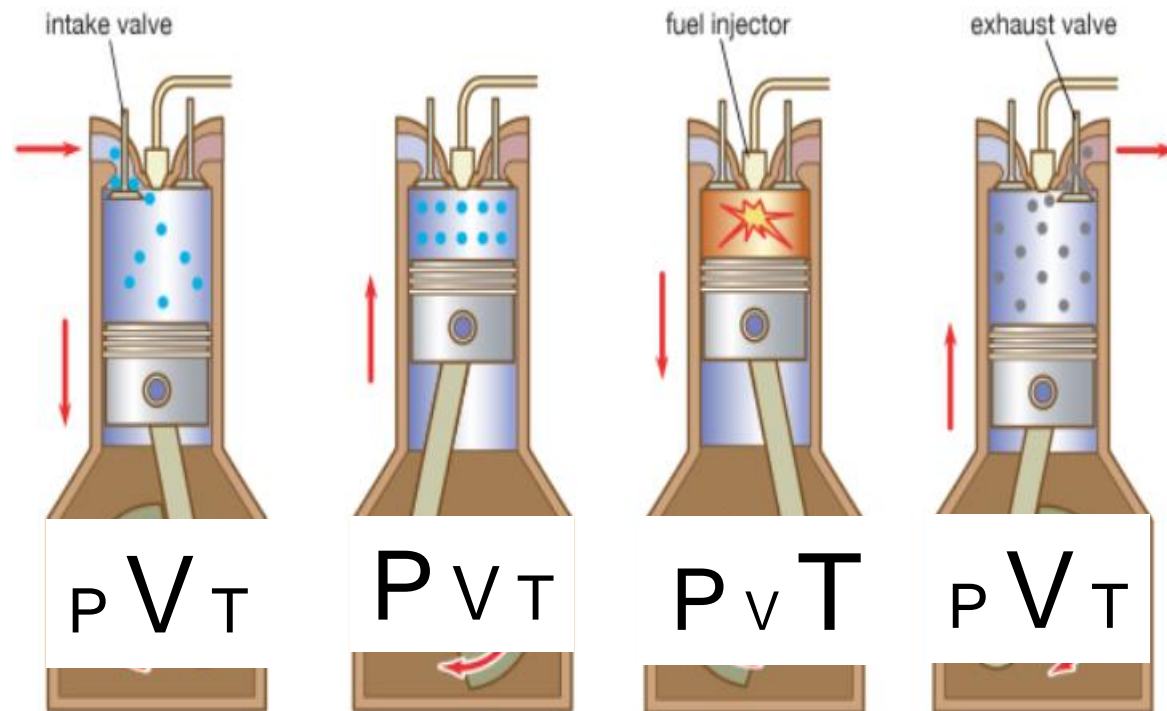


# Real World Application of the Combined Gas Law

## Internal Combustion Engines Notice $P$ , $V$ , $T$

The volume ( $V$ ), pressure ( $P$ ), and temperature ( $T$ ) interactively vary:

1. The air-fuel mixture enters the piston chamber.
2. The air-fuel mixture is compressed (piston moves up)
3. The fuel is ignited.



4. The hot, expanding gases force the piston down and the exhaust gases are expelled from the chamber.

# Real World Application of the Combined Gas Law

Spraying a gas from an **aerosol** can:

Pressure ( $P$ ) of gas decreases as it goes from being compressed in the container to being released into the atmosphere. **Volume ( $V$ ) increases substantially.**

**Kinetic energies of gas molecules decrease.** Gas temperature ( $T$ ) therefore decreases as it is sprayed.



# Real World Application of the Combined Gas Law

- Open your hand, palm in, and place near your mouth (~1-2 inches away). Open your mouth wide and blow.
- Repeat the same procedure EXCEPT whistle into your palm.
- Make your observations and explain what happened.



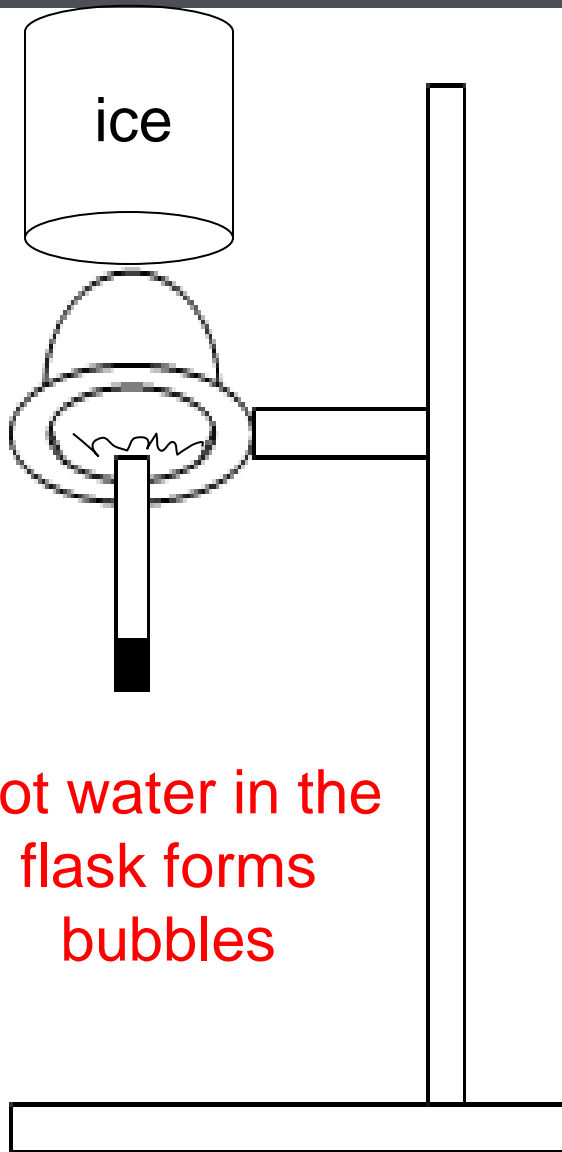
# Real World Application of the Combined Gas Law

- Open your hand, palm in, and place near your mouth (~1-2 inches away). Open your mouth wide and blow.
- Repeat the same procedure EXCEPT whistle into your palm.
- Notice with mouth wide, it feels warmer, but when whistling it feels cooler (air expands).
- *When whistling, the pressure (P) was relatively high leaving the mouth; Volume (V) INcreased drastically (expansion), Decreasing the perceived temperature (T).*





# What is the relationship between pressure, temperature, and volume of a gas?



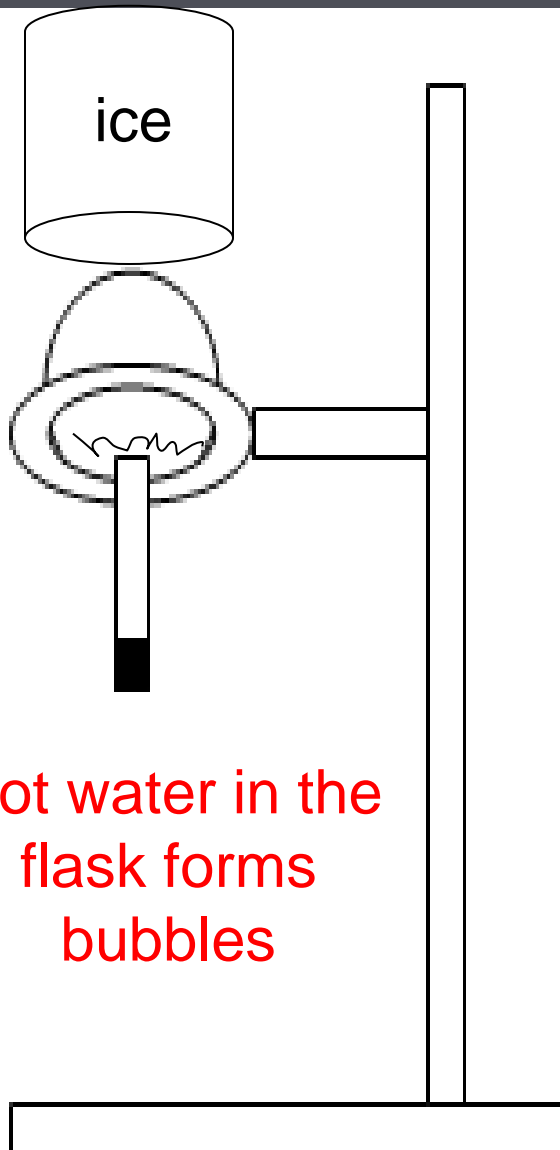
Hot water in the flask forms bubbles

Using **ice** to make water boil!

<http://somup.com/cFXiDHn19g>  
(3:08)



# What is the relationship between pressure, temperature, and volume of a gas?



Hot water in the flask forms bubbles

Using **ice to make water boil!**

<http://somup.com/cFXiDHn19g> (3:08)

- Ice cools the gas inside the flask (above the water).
- Cooling the gas decreases the pressure of the gas:  $P \propto T$
- The gas pressure is **lower** so it matches the vapor pressure of the water. Thus, **boiling**.
- Volume ( $V$ ) changes slightly before equilibrium.

Which of the following equations could be used to correctly calculate the final volume of a gas using the combined gas law?

A. 
$$V_2 = \frac{V_2 \times P_2 \times T_1}{T_2 \times P_1}$$

B. 
$$V_2 = \frac{V_1 \times P_1 \times T_2}{T_1 \times P_2}$$

C. 
$$V_2 = \frac{V_1 \times P_1 \times T_1}{T_2 \times P_2}$$

D. 
$$V_2 = \frac{V_1 \times P_2 \times T_2}{T_1 \times P_1}$$

Which of the following equations could be used to correctly calculate the final volume of a gas using the combined gas law?

A.  $V_2 = \frac{V_2 \times P_2 \times T_1}{T_2 \times P_1}$

B.  $V_2 = \frac{V_1 \times P_1 \times T_2}{T_1 \times P_2}$

C.  $V_2 = \frac{V_1 \times P_1 \times T_1}{T_2 \times P_2}$

D.  $V_2 = \frac{V_1 \times P_2 \times T_2}{T_1 \times P_1}$

$$\frac{P_1 \times V_1}{T_1} = \frac{P_2 \times V_2}{T_2}$$

$$V_2 = \frac{V_1 \times P_1 \times T_2}{P_2 \times T_1}$$



A weather balloon is filled with helium before it is launched. On the ground, the gas has a temperature of 298 K and a pressure of 1.0 atm. The volume of the balloon is 4.5 kl. As the balloon rises, however, the pressure and temperature change to 0.30 atm and 288 K. What is the new volume of the balloon?



A weather balloon is filled with helium before it is launched. On the ground, the gas has a temperature of 298 K ( $T_1$ ) and a pressure of 1.0 atm ( $P_1$ ). The volume of the balloon is 4.5 kl ( $V_1$ ). As the balloon rises, however, the pressure and temperature change to 0.30 atm ( $P_2$ ) and 288 K ( $T_2$ ). What is the new volume of the balloon?

A: Volume

G:  $T_1 = 298 \text{ K}$        $T_2 = 288 \text{ K}$        $P_1 = 1.0 \text{ atm}$        $P_2 = 0.30 \text{ atm}$   
 $V_1 = 4.5 \text{ m}^3$        $V_2 = ?$

E:  $V_2 = V_1 P_1 T_2 / P_2 T_1$

S:  $V_2 = (1.0 \text{ atm})(4.5 \text{ m}^3)(288 \text{ K}) / (298 \text{ K})(0.30 \text{ atm})$

**$V_2 = 14 \text{ kl}$**



$$\frac{P_1 \times V_1}{T_1} = \frac{P_2 \times V_2}{T_2}$$
$$V_2 = \frac{V_1 \times P_1 \times T_2}{P_2 \times T_1}$$



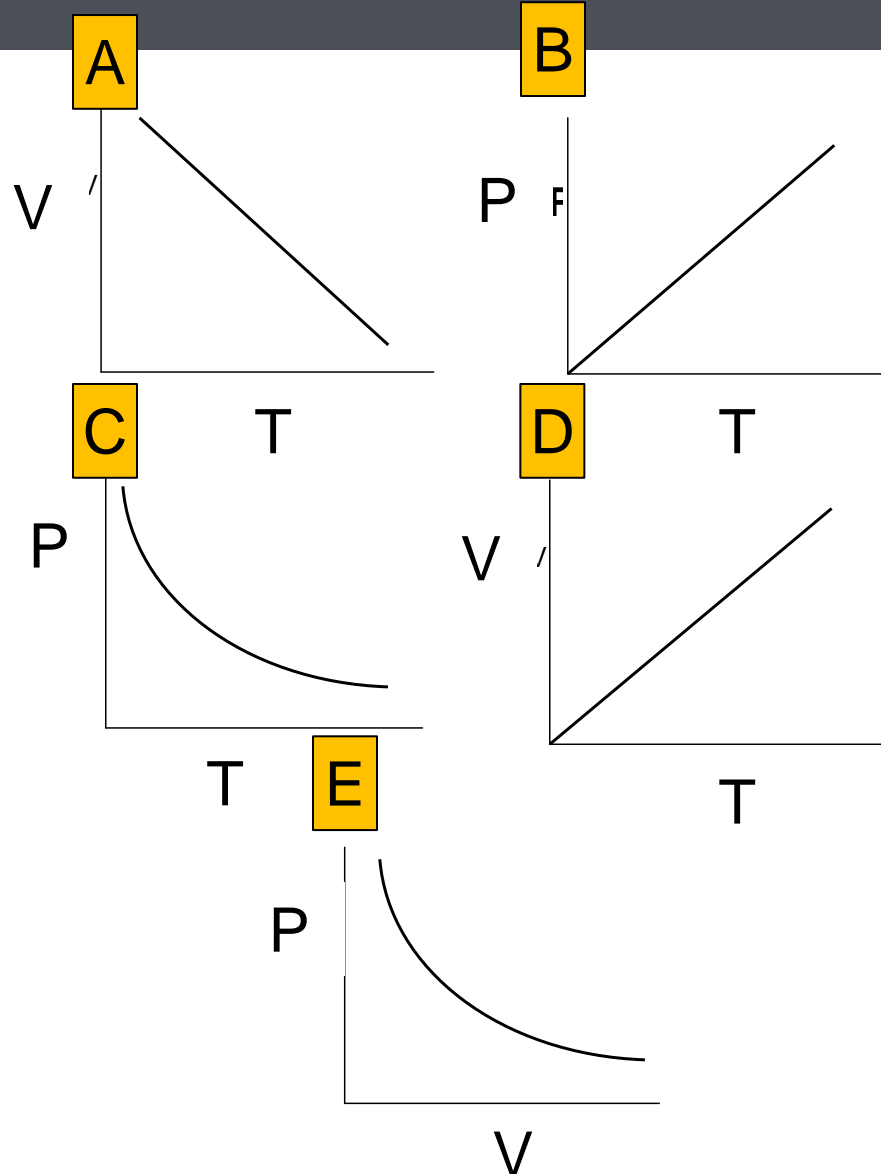
# Practice matching graphed relationships to the gas laws.

Match one graph shown at right to the gas laws named below:

Charles's law

Boyle's law

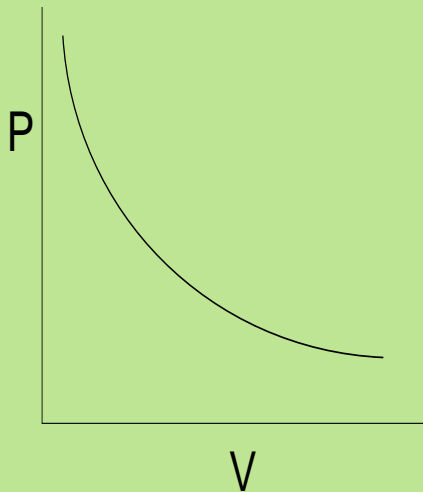
Gay-Lussac's law



# Three Gas Laws

E

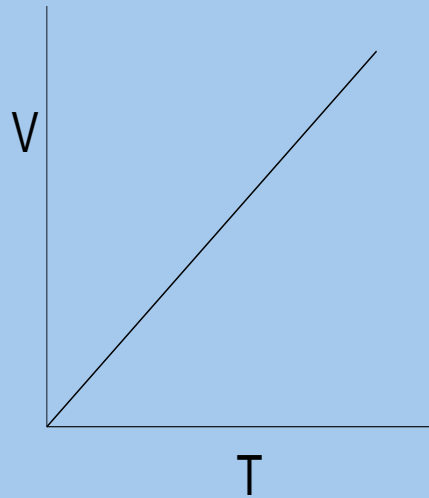
**Boyle's law**



$$P_1V_1 = P_2V_2$$

D

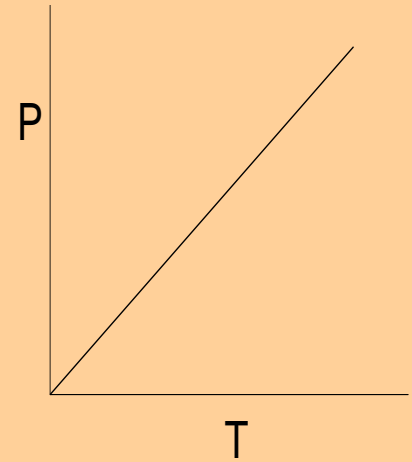
**Charles's law**



$$\frac{V_1}{T_1} = \frac{V_2}{T_2}$$

B

**Gay-Lussac's law**



$$\frac{P_1}{T_1} = \frac{P_2}{T_2}$$

A balloon contains 30.0 L of helium gas at 103 kPa. What is the volume of the helium when the balloon rises to an altitude where the pressure is only 25.0 kPa? (Assume that the temperature remains constant.)

## Boyle's Law

A balloon contains 30.0 L ( $V_1$ ) of helium gas at 103 kPa ( $P_1$ ). What is the **volume** ( $V_2$ ) of the helium when the balloon rises to an altitude where the pressure is only 25.0 kPa ( $P_2$ )? (Assume that the temperature remains constant.)

A: Volume ( $V_2$ )

G: 30.0 L ( $V_1$ ) at 103 kPa ( $P_1$ ) ... 25.0 kPa ( $P_2$ )

E:  $P_1V_1 = P_2V_2$  ... solve for  $V_2 = P_1V_1 / P_2$

S:  $V_2 = 30.0 \text{ L} \times (103 \text{ kPa}) / 25.0 \text{ kPa} = \underline{124 \text{ L}}$

(notice  $P \downarrow V \uparrow$ )

$$V_2 = \frac{30.0 \text{ L} \times \cancel{103 \text{ kPa}}}{\cancel{25.0 \text{ kPa}}} \quad V_2 = 1.24 \times 10^2 \text{ L}$$

A balloon inflated in a room at  $24.0^{\circ}\text{C}$  has a volume of  $4.00\text{ L}$ . The balloon is then heated to a temperature of  $58.0^{\circ}\text{C}$ . What is the new volume if the pressure remains constant? Be sure to convert  $^{\circ}\text{C}$  to  $\text{K}$ .

## Charles' Law

A balloon inflated in a room at  $24.0^{\circ}\text{C}$  ( $T_1$ ) has a volume of  $4.00\text{ L}$  ( $V_1$ ). The balloon is then heated to a temperature of  $58.0^{\circ}\text{C}$  ( $T_2$ ). What is the new **volume** ( $V_2$ ) if the pressure remains constant? Be sure to convert  $^{\circ}\text{C}$  to  $\text{K} \rightarrow \mathbf{K = ^{\circ}\text{C} + 273}$

A: Volume ( $V_2$ )

G:  $T_1 = 24.0^{\circ}\text{C} + 273 = 297\text{ K}$        $T_2 = 58.0^{\circ}\text{C} + 273 = 331\text{ K}$

$4.0\text{ L}$  ( $V_1$ ) at  $297\text{ K}$  ( $T_1$ ) changes to  $331\text{ K}$  ( $T_2$ )

E:  $V_1/T_1 = V_2/T_2$  ... solve for  $V_2 = T_2 V_1 / T_1$

S:  $V_2 = (4.0\text{ L}) \times 331\text{ K} / 297\text{ K} = \underline{4.46\text{ L}}$  (notice  $T \uparrow V \uparrow$ )

$$V_2 = \frac{4.00\text{ L} \times 331\text{ K}}{297\text{ K}}$$



Aerosol cans carry labels warning not to incinerate (burn) the cans or store them above a certain temperature. The gas in a used aerosol can is at a pressure of 103 kPa at 25.0°C. If the can is thrown onto a fire, what will the pressure be when the temperature reaches 928°C? Be sure to convert °C to K.

## Gay-Lussac's Law

Aerosol cans carry labels warning not to incinerate (burn) the cans or store them above a certain temperature. The gas in a used aerosol can is at a pressure of 103 kPa ( $P_1$ ) at 25.0°C ( $T_1$ ). If the can is thrown onto a fire, what will the **pressure** ( $P_2$ ) be when the temperature reaches 928°C ( $T_2$ )? Be sure to convert °C to K.

A: Pressure ( $P_2$ )

G:  $T_1 = 25.0^\circ\text{C} + 273 = 298 \text{ K}$        $T_2 = 928.0^\circ\text{C} + 273 = 1201 \text{ K}$

103 kPa ( $P_1$ ) at 298 K ( $T_1$ ) changes to 1201 K ( $T_2$ )

E:  $P_1/T_1 = P_2/T_2$  ... solve for  $P_2 = T_2 P_1 / T_1$

S:  $V_2 = (4.0 \text{ L}) \times 1201 \text{ K} / 298 \text{ K} = \underline{415 \text{ kPa}}$  (notice  $P \uparrow V \uparrow$ )

$$\frac{P_1}{T_1} = \frac{P_2}{T_2}$$

$$P_2 = \frac{P_1 \times T_2}{T_1}$$

$$P_2 = \frac{103 \text{ kPa} \times 1201 \text{ K}}{298 \text{ K}}$$

$$P_2 = 415 \text{ kPa}$$